

# Engineering of correlated photon pairs via interaction between Rydberg atoms during the storage of slow light

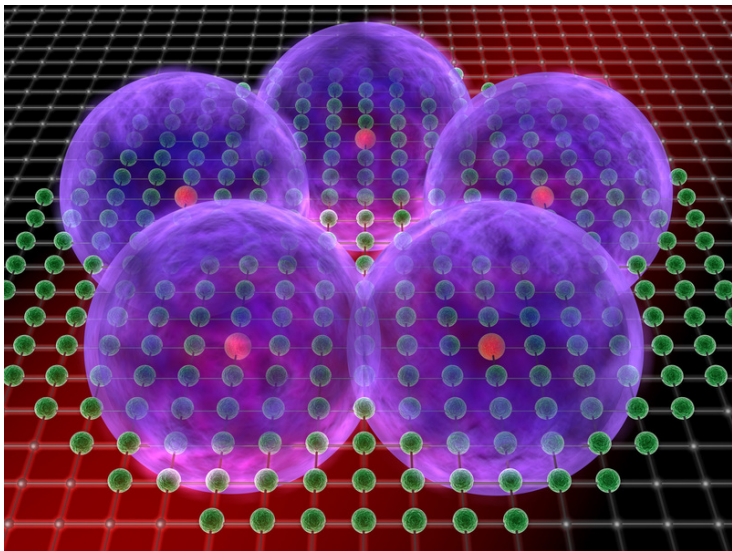
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September 24, 2016

# Rydberg atoms



P. Schauß *et al*, Nature **491**, 87 (2012).

Ruseckas et al. (Vilnius and others)

Rydberg slow light

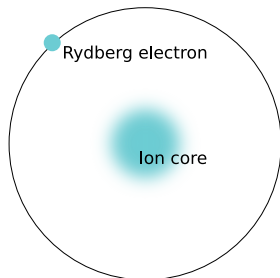
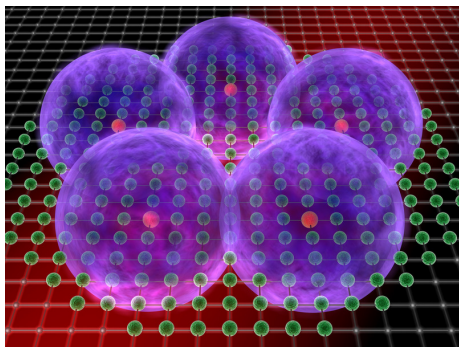
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# Rydberg atoms

## Rydberg atom

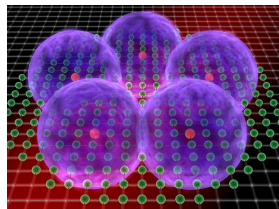
A Rydberg atom is an excited atom with an electron in a state with a **very high** principal quantum number  $n \gtrsim 50$ .



# Rydberg atom

Distinctive properties of Rydberg states:

- an enhanced response to electric and magnetic field
- long decay times
- electron wavepackets move along classical orbits
- excited electron experiences Coulomb electric potential
- radius of an orbit scales as  $n^2$
- energy level spacing decreases as  $1/n^3$



# Interactions between Rydberg atoms

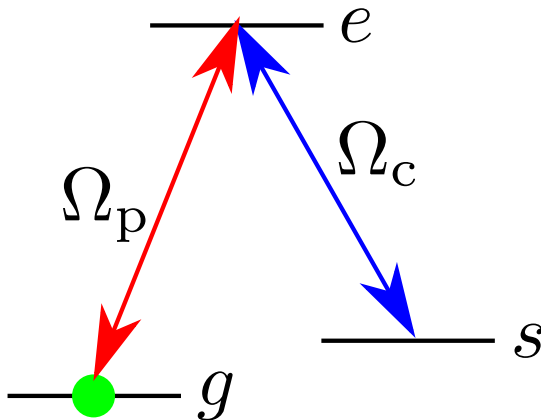
- Transition dipole moment to nearby states scales as  $n^2$
- **Strong** dipole-dipole interactions
- The interaction strength rapidly increases with  $n$ ;
- The strength of interactions for  $n \gtrsim 100$  can be comparable to the strength of the Coulomb interaction between ions.
- Can be used for engineering of desired many-particle states.

# Dipole blockade

- If one atom is excited into the Rydberg state
  - strong interaction shifts the resonance frequencies of all the surrounding atoms
  - **suppressing** their excitation.
- Rydberg blockade can be applied in
  - quantum information processing
  - non-linear quantum optics using Rydberg EIT



# Three level $\Lambda$ system



Probe beam:  $\Omega_p = \mu_{ge} E_p$

Control beam:  $\Omega_c = \mu_{ge} E_c$

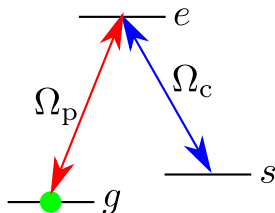


# Three level $\Lambda$ system

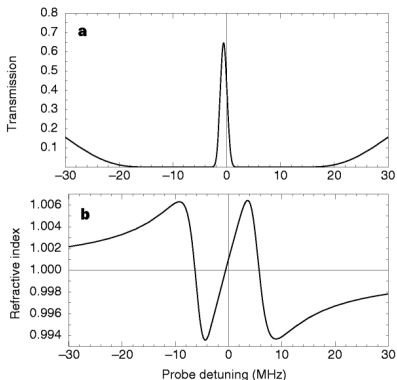
- Dark state

$$|D\rangle \sim \Omega_c|g\rangle - \Omega_p|s\rangle$$

- Transitions  $g \rightarrow e$  and  $s \rightarrow e$  interfere destructively
- Cancellation of absorption
- **Electromagnetically induced transparency—EIT**
- Very fragile
- Very narrow transparency window



# Slow light

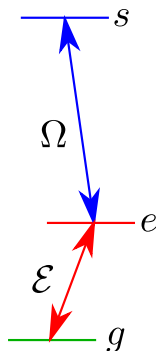


- Narrow transparency window  
 $\Delta\omega \sim 1$  MHz
- Very dispersive medium
- Small group velocity — **slow light**

- EIT → **atom-light** interactions without absorption
- Rydberg states → strong long-range **atom-atom** interactions
- As a result → **photon-photon** interactions.

For a **single** incident probe photon

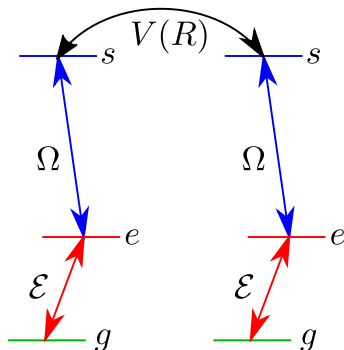
- the control field induces a transparency in a narrow spectral window via EIT
- probe photon is coupled to Rydberg excitation forming a combined quasiparticle — **Rydberg polariton**
- Rydberg polariton propagates at a reduced speed  $\ll c$



# Rydberg EIT

When **two** probe photons propagate in the Rydberg medium

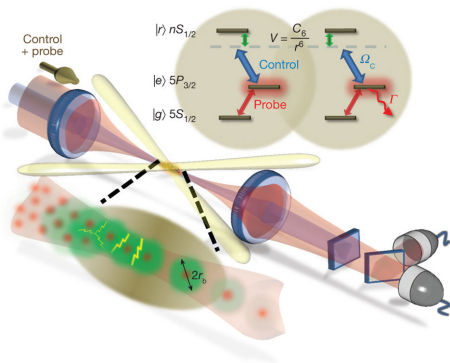
- strong interaction between two Rydberg atoms tunes the transition out of the resonance
- destroying the transparency and leading to absorption.



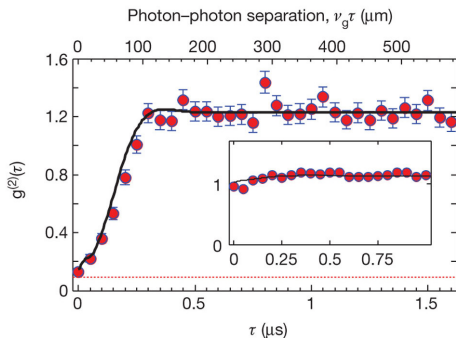
# Experimental realization of quantum nonlinear optics

A. V. Gorshkov *et al*, Phys. Rev. Lett. **107**, 133602 (2011).

T. Peyronel *et al*, Nature **488**, 57 (2012).



$$46 \leq n \leq 100$$



# Disadvantage of Rydberg EIT

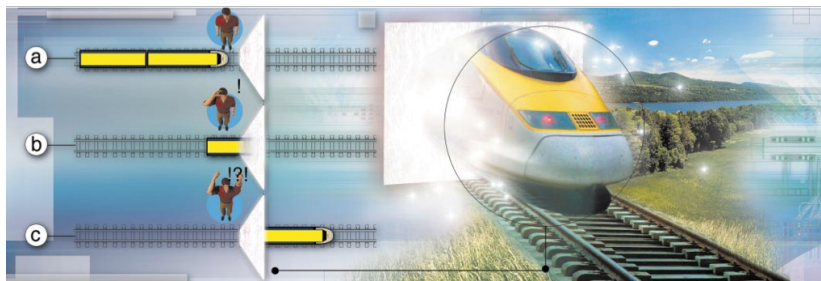
Only one photon propagates without absorption in the Rydberg blockade region. All additional photons are **absorbed** leading to losses

## Our proposal

To use atom-atom interactions during light storage.

# Storing of slow light

Hau *et al*, Nature, 2001



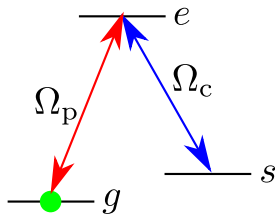


# Storing of slow light

- Dark state

$$|D\rangle \sim |g\rangle - \frac{\Omega_p}{\Omega_c} |s\rangle$$

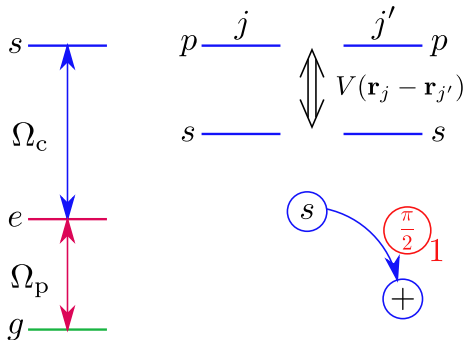
- Information on probe beam is contained in the atomic coherence
- Storing of light — switching off control beam; information about light is retained in the atomic coherence
- Releasing — switch on control beam



# Storing slow light using two Rydberg states

*J. Ruseckas, I. A. Yu, and G. Juzeliūnas, arXiv:1606.00562*

- Ladder scheme with the Rydberg state  $s$
- Storing procedure:
  - 1 Probe field is stored in a coherence between ground state  $g$  and Rydberg state  $s$
  - 2  $\pi/2$  pulse is applied converting the Rydberg state  $|s\rangle$  to a superposition of  $s$  and  $p$  Rydberg states

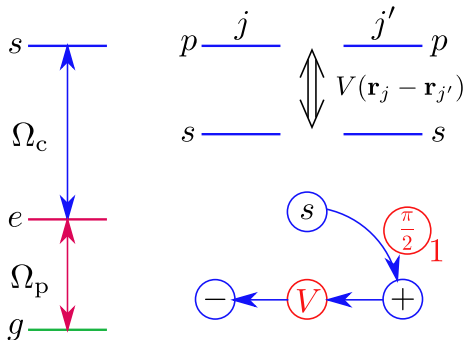


$$|+\rangle = \frac{1}{\sqrt{2}}(|s\rangle + |p\rangle)$$

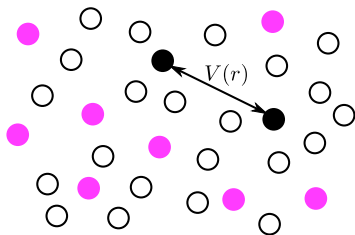
# Stored Rydberg slow light

- Resonance dipole-dipole interaction between Rydberg atoms  $V$
- Exchange of the  $s$  and  $p$  Rydberg states.
- During the storage **correlated pairs** of atoms are created in the initially not populated state

$$|-\rangle = \frac{1}{\sqrt{2}}(|s\rangle - |p\rangle)$$



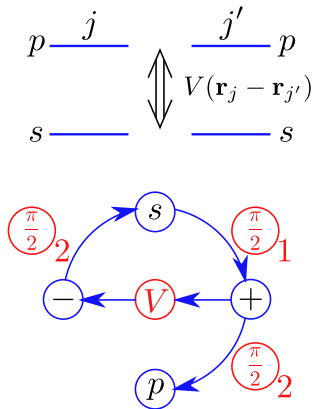
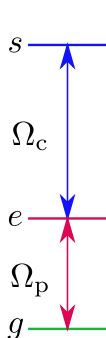
# State of atoms at the end of storage period



- atom in state g
- atom in state +
- atom in state -

# Stored Rydberg slow light

- At the end of the storage a second  $\pi/2$  pulse is applied, converting the state  $|-\rangle$  into Rydberg state  $|s\rangle$  and state  $|+\rangle$  into state  $|p\rangle$ .
- Excitations in the  $s$  state are converted into the probe photons,
- $p$  state excitations remain in the medium.



# Consequences

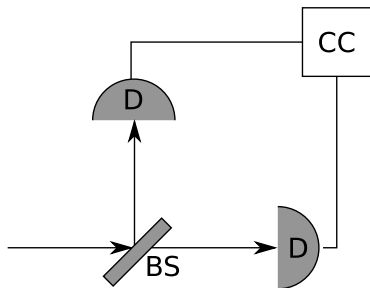
- No regenerated slow light without interaction between the atoms
- Restored probe beam contains **correlated pairs** of photons

# Second-order correlation function

Second-order correlation function:

$$g^{(2)}(\tau) = \frac{\langle \mathcal{E}^\dagger(t) \mathcal{E}^\dagger(t + \tau) \mathcal{E}(t + \tau) \mathcal{E}(t) \rangle}{\langle \mathcal{E}^\dagger(t) \mathcal{E}(t) \rangle \langle \mathcal{E}^\dagger(t + \tau) \mathcal{E}(t + \tau) \rangle}$$

Can be measured using the  
Hanbury-Brown and Twiss detection  
scheme



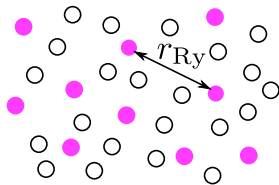
# Second-order correlation function of the restored light

We assume

$$r_c \lesssim r_{\text{Ry}},$$

where

- $r_c$  is a characteristic interaction distance:  
 $V(r_c)T = 1$
- $r_{\text{Ry}}$  is a mean distance between Rydberg atoms



Second order correlation function of the restored light

$$g_{\text{out}}^{(2)}(\tau) \sim 1 - \cos[V(v_{g0}\tau)T]$$

For small storage time  $T$

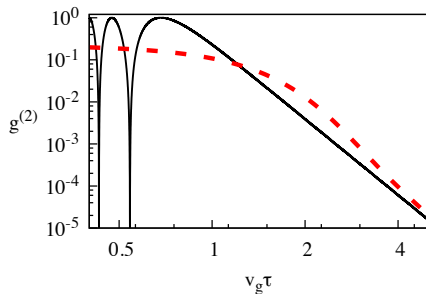
$$g_{\text{out}}^{(2)}(\tau) \sim [V(v_{g0}\tau)T]^2$$



# Second-order correlation function of the restored light

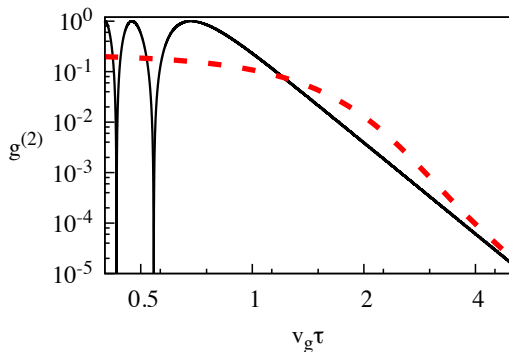
$$g_{\text{out}}^{(2)}(\tau) \sim [V(v_{g0}\tau)T]^2$$

- Allows to measure interaction potential
- Corrections due to the finite spectral width of EIT (see red dashed curve)



# Influence of slow light losses

The restored light acquires a finite spectral width  $\Delta\omega_{\text{out}} \sim v_{g0}/r_c$ , which leads to a **finite life-time** of the Rydberg polariton,  $\tau_{\text{pol}}^{-1} = 2\Gamma(\Delta\omega_{\text{out}}/\Omega_c)^2$ . This distorts short time behaviour of  $g_{\text{out}}^{(2)}(\tau)$ .



# Summary

- Two-photon states can be created by properly **storing and retrieving** the slow light in the medium of Rydberg atoms
- The second-order correlation function of the restored light is determined by the **atom-atom interactions** during the storage.
- Measurement of the restored light allows one to **probe** interactions in many-body systems using optical means.
- Sensitivity of such measurements can be increased by increasing the storage time.

Thank you for your attention!